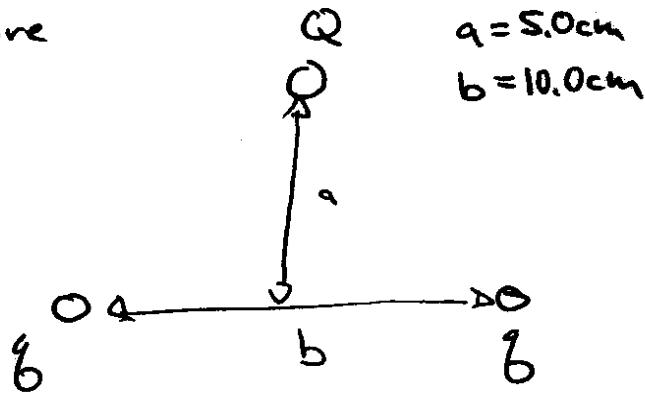


Here's an example of force & charge conservation

before

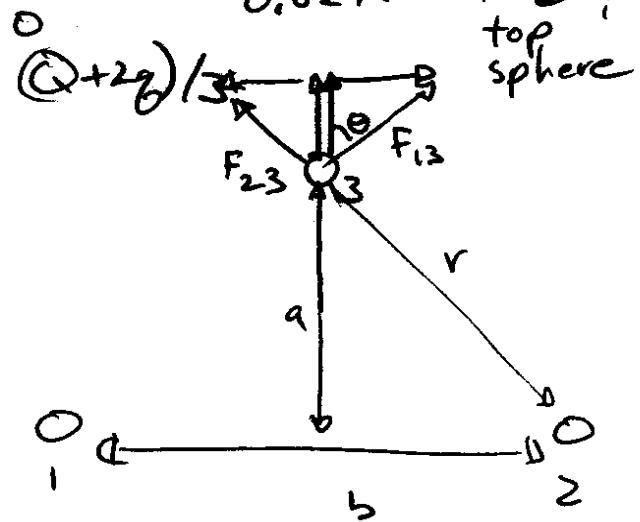


Net force on  $Q$  from  
2  $q$ 's is attractive  
&  $0.2\text{N}$

Then, the charged spheres are being brought into contact & the net force after all the spheres have the same charge is  $0.02\text{N}$  on  ~~$Q$~~  & repulsive

$$(Q+2q)/3$$

Figure out net force



$$\vec{F}_{13} = \frac{kqQ}{a^2 + (b/2)^2} \sin\theta \hat{i} + \frac{kqQ}{a^2 + (b/2)^2} \cos\theta \hat{j}$$

$$\vec{F}_{23} = -\frac{kqQ}{a^2 + (b/2)^2} \sin\theta \hat{i} + \frac{kqQ}{a^2 + (b/2)^2} \cos\theta \hat{j}$$

$$\vec{F}_{\text{net}} = \vec{F}_{13} + \vec{F}_{23} = \underbrace{\frac{2kqQ}{a^2 + (b/2)^2} \cos\theta \hat{j}}_{1} \quad \text{N} \cdot \text{m}^{-2}$$

Know this  $\propto$

cause attractive

So, we know

$$gQ = -|F_{\text{net}}| \frac{(a^2 + (b/2)^2)}{2k \cos \theta} = \frac{-0.2N(0.05m^2 + 0.05m^2)}{2(9 \times 10^9 \frac{Nm^2}{C^2}) \cos 45^\circ}$$

$$= -7.8567 \times 10^{-14} C^2 = -A$$

$\frac{(Q+2g)^2}{3} = |F_{\text{net}}^{\text{after}}| \frac{(a^2 + (b/2)^2)}{2k \cos \theta}$

or

$$Q+2g = 3 \sqrt{|F_{\text{net}}^{\text{after}}| \frac{(a^2 + (b/2)^2)}{2k \cos \theta}}$$

$$= 2.659 \times 10^{-7} C = B$$

Substitute (2eqn's & 2 unknowns)  $Q = B - 2g$

so  $gB - 2g^2 = -A$  or  $\frac{2g^2 - gB - A}{2} = 0$

Solve quadratic

$$g = \frac{B \pm \sqrt{B^2 - 4(2)(-A)}}{2(2)}$$

$$= \frac{2.659 \times 10^{-7} C \pm \sqrt{(2.659 \times 10^{-7} C)^2 + 8(7.8567 \times 10^{-14} C^2)}}{4}$$

$$= 2.755 \times 10^{-7} C \text{ & } -1.42575 \times 10^{-7} C$$

Now we should solve for Q and check by calculating  $|F_{\text{net}}|$